NEW PALAEOPIEZOMETER AND ITS APPLICATION FOR ESTIMATION OF INJECTED ANORTHOSITE MAGMA PRESSURE

A. K. ZILBERSHTEIN

Institute of Precambrian Geology and Geochronology, Russian Academy of Sciences, St. Petersburg, Russia

A new palaeopiezometer has been designed and applied for estimation of magma pressure (\mathbf{P}_{m}) during intrusion of anorthosites of the Geran massif (Ulkan–Dzhugdzhur anorthosite–rapakivi granite complex, Aldan shield, Russia) (1.73–1.70 Ga). This piezometer is based on the analysis of twin-density in crystals deformable plastically by mechanical twinning (e.g. plagioclases). Theoretical equation expressing the differential stress (\mathbf{s}) as a function of the twin density (\mathbf{D}) was obtained in the following form:

$$s = XG lg[1 + Y(D/S) - Z(a_2/S)]$$
(1)

Where:

 \mathbf{G} = shear modulus, \mathbf{S} = shear magnitude (coefficient) for mechanical twins, \mathbf{a} = average lattice parameter

- (G, S, a are constants characterizing the material)
- $\mathbf{X} = 4.75 \cdot 10^{-3}$, $\mathbf{Y} = 0.345 \text{ mm}^{-1}$, $\mathbf{Z} = 1.716 \text{ mm}^{-2}$ ($\mathbf{X}, \mathbf{Y}, \mathbf{Z}$ are constants, obtained from experimental data s(D) for calcite twinning (cf. Rowe & Rutter 1990)).

Equation (1) was applied to palaeostress estimation for plagioclase-bearing rocks of the Geran anorthosite massif. The parameter **D** was measured for pericline and albite twins in plagioclase. The values of differential stress **s** were obtained using Eq. (1) for various samples: for anorthosites from the centre of the massif ($s_1 = 0$) and near the contact zone ($s_2 = 211$ MPa), for granulite near the contact zone ($s_3 = 291$ MPa), 1 km ($s_4 = 257$ MPa) and more than 2 km away from the contact zone ($s_5 = 176$ MPa). Errors of the differential stress values did not exceed 88 MPa. The absolute maximum of **s** was observed near the contact zone. The maximum may have been induced by injected anorthosite magma pressure P_m, which was greater than lithostatic pressure P₁ for granulite: P_m – P₁ = s. Using the well-known value for the P₁, the estimation of the unknown magma pressure P_m was obtained:

$$P_m = P_1 + (s_3 - s_5) = P_1 + s_2 = 0.8 \pm 0.1 \text{ GPa}$$